

Analysis of Delay in Feedback Power Control for CDMA Systems

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Abstract

Transmit diversity techniques have received a lot of attention recently in the area of wireless communication. Closed-loop transmit diversity techniques can provide full diversity and increase the received SNR without space-time coding. The goal of this work is to implement a fast power control algorithm and to evaluate the effect of feedback delay on its performance in CDMA systems. This paper evaluates the effect of delay in feedback power control algorithms on the uplink of code division multiple access (CDMA) systems. The performance of fixed-step and variable-step power algorithms are analyzed for CDMA systems. The control mechanism is closed loop one in which the algorithms are based on the feedback information of signal-to-interference ratio (SIR) measurement at the base station. In ideal conditions, variable-step algorithm outperforms fixed-step algorithm to reduce the effect of Rayleigh fading. It can also track the fading channel accurately by proportionally increasing the power control bit. The algorithm measured uses the measured SIR at every feedback delay and compares it to a given target and adjust the measured SIR to match the target SIR. The performance of the system is evaluated in terms of BER as a function of SIR (E_b/I_o).

Keywords

CDMA, Closed-loop Power Control, SIR, Rayleigh fading, Delay, Step-size parameter.

I. Introduction

Power control is an essential radio resource management method in CDMA cellular communication systems, where co-channel interference is the primary capacity-limiting factor. Power control aims to control the transmission power levels in such a way that acceptable quality of service for the users is guaranteed with lowest possible transmission powers. All users benefit from the minimized interference and the preserved signal qualities. Wireless cellular communication systems experience a rapid growth during the last two decades. For achieving these goals is the selection of the multiple access method. Code Division Multiple Access (CDMA) has been selected as the air interface for these networks. In CDMA systems the users transmit their signals simultaneously in the same frequency band. Each user is given a dedicated spreading code, which is used to identify the users in the receivers by correlating the received signal with a replica of the desired user's code.

CDMA is interference-limited, i.e. the interference from other users that limits the capacity of the system. To increase capacity, some methods are needed for interference management. Power control (PC) aims to control the transmission powers in such a way that the co-channel interference is minimized, while at the same time achieving sufficient quality of service (QoS). Since in CDMA the users interfere with one another, the co-channel interference is minimized if minimum possible transmission powers are used. The problem is then to find the minimum transmission powers such that the QoS requirements of the users are fulfilled. Minimizing the transmission powers has the additional desirable effect of prolonging the battery lives of the mobile terminals. The SIR measurement, processing and the transmission of the power control

commands over the air interface constitute a delay between the time the power update command is calculated and the time it is applied in the transmitter. During this time the radio channel and interference conditions might have changed considerably, which deteriorates the performance of power control. The closed loop power control (CLPC) is a sort of "fine tuning" on the open loop power estimate. It should be fast enough to keep up with the fast fading. So, it is the crucial component of any effective scheme to combat Rayleigh fading.

Many of the power control algorithms proposed in the literature are studied without taking the loop delay into account [1-5]. However, the loop delay can cause increased oscillations of the SIR around the setpoint, and even make the power control algorithm unstable if it is ignored in the design of the algorithm. Fixed-step power control employs a constant power-updating step size so that it requires only one control bit to adjust the transmit power at each power control interval, and hence minimizing the signaling bandwidth. As a result, fixed-step algorithm may not be able to quickly track the fading channel because it adjusts the transmit power step by step using a preset constant step size. Variable-step power control algorithm, on the other hand, employs variable step sizes to allow faster tracking of the channel using multiple control bits, and therefore it requires higher signaling bandwidth. Some of the researchers have also worked on delay analysis. [6-10]

In [7] Kurniawan analyses different system parameter (step size, power-update rate, feedback delay, SIR measurement error, and command error) on the bit error rate (BER) by using link level simulation. In [8] a log linear model is studied to analyse the closed loop power control. In [9] a simple procedure for SIR estimation which does not need any complex calibration has been proposed. Different quantization strategies for the feedback message using SNR gain as a performance measure have been studied in [10-12].

II. Closed-Loop Power Control

Closed-loop power control aims at eliminating the received signal fluctuation due to small scale propagation loss. In contrast to the large-scale propagation loss, the small-scale propagation loss is uncorrelated between uplink and downlink. Therefore, to control the uplink fading, the uplink channel information must be estimated at the base station and then fed back to the mobile station, so that the mobile station can adjust its transmit power according to the fed back information. To obtain the uplink channel information, the base station can either estimate the received signal strength or the SIR. In CDMA, however, power control based on SIR is more suitable than that based on signal strength because CDMA is interference limited. A closed-loop power control model for the reverse link is shown in fig. 1.

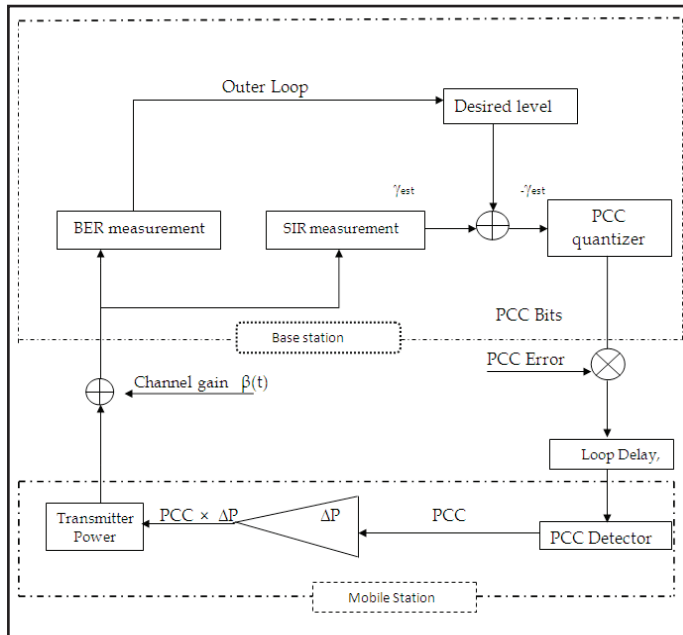


Fig. 1: Model for Closed-loop Power Control

In this model, the signal strength or SIR is first estimated at the base station for every time slot, T_p , which corresponds to one power control interval. The estimated quantity is represented by γ_{est} and is compared with the desired or the target level γ_t . The difference between the estimated SIR or signal strength and the target level is then quantised and sent to the mobile user via the downlink channel as a binary representation of PCC bits. The command bits are multiplexed with the user data. The mobile users, then extract the PCC bits from the downlink data stream and use them to adjust their transmit power. Due to the downlink channel impairments, the PCC bits received by the mobile user can be in error. The PCC bit error is modelled as a multiplicative quantity with opposite bit polarity. A delay is also introduced by the control loop. This delay is called the feedback loop delay and is expressed in a multiple, D , of power control interval T_p , where D is an integer. After the PCC bits are recovered by the mobile user, they are used to adjust the transmit power by the required step size, $PCC \times \Delta P$. Due to feedback delay, however, the mobile transmit power (after adjustment) may not compensate the current channel condition because at the time the mobile adjusts the power, channel conditions may have already changed in a fading situation.

Closed-loop power control based on measurements on the received signal strength has been studied in [3] while those based on measurements of the SIR appeared in [11]. It is shown in [11] that power control based on SIR appears to perform better than that based on the signal strength. SIR-based power control, however, has the potential for positive feedback that may occur when the number of active users exceeds the maximum CDMA system capacity. In this situation, an increase of transmitting power from any user will increase interference to other users, which in turn, are forced to increase their power, and so on.

A. Feedback-Loop Delay

In a closed-loop power control, the effect of feedback loop delay is an important factor. To overcome the problem due to feedback delay, power control algorithms may employ a channel predictor. The loop delay DT_p in fig. 1 accounts for the total feedback delay, from the time the channel is estimated by the SIR estimator at the base station until an appropriate power control command

is received by the mobile and its transmit power is adjusted accordingly. The following factors contribute to the total feedback loop delay. First, SIR measurement at the base station takes time. Normally, SIR measurement is performed during one time slot and hence, contributes to a one-slot delay. Once SIR measurement is completed, it needs to be compared with the target SIR to generate the PCC bit. Although the processing time at the base station can be negligible, the PCC bit may not be transmitted on the next immediate time slot on the downlink channel, because it depends on the synchronization between the uplink and downlink channels. Therefore, the second contributor is the synchronization delay between uplink and downlink channel. The third contributor to the loop delay is the propagation time of the PCC bit from the base station to the mobile (distance dependence). Assuming the processing time at the mobile to extract the PCC bit from the downlink data-stream may also be negligible, a total feedback delay of 2 slots or more can be expected.

For a Rayleigh fading channel at moderate fading rates, a 2-slot feedback delay may degrade the power control performance significantly. This is because the SIR estimates used when the power control command takes place are outdated and do not reflect the most recent power updates because the channel coefficients change rapidly. The problem of feedback delay has been studied in which a time delay compensation method is proposed to overcome the problem. In this method the estimated SIR is adjusted according to the power control commands that have been sent but have not come in effect due to the feedback delay.

III. Power Control Simulation

This section deals with the simulation procedure and system parameters to model the uplink channel of a CDMA system that employs SIR-based power control. It is assumed that the open loop power control can perfectly overcome the near-far and shadowing problems, so that the average received power is constant and the closed-loop power control algorithm is used only to overcome the fluctuation due to Rayleigh fading. In this case, the dynamic range of power updates in the closed-loop algorithm can be reduced because the algorithm is only required to track the Rayleigh fading fluctuation not to track the signal variation due to the near-far problem.

Power control model described in fig. 1 is being used as reference in order to explain the algorithm in more detail here. For power control based on SIR, the mechanism of power control algorithm is shown in fig. 2. The power control algorithm proceeds as follows.

First, the SIR for each user, γ_{est} is estimated at the base station for the i^{th} time slot. Then the estimated SIR $\gamma_{est}(i)$ is compared with the target SIR γ_t to produce the error signal $e(i)$. The error signal $e(i)$ is then quantized using a binary representation, so it can be transmitted via the downlink channel to the mobile station. The quantized form of error signal is called the PCC bits, which can be implemented using a PCM realization of mode q , where q is the number of PCC bits required in each power control interval.

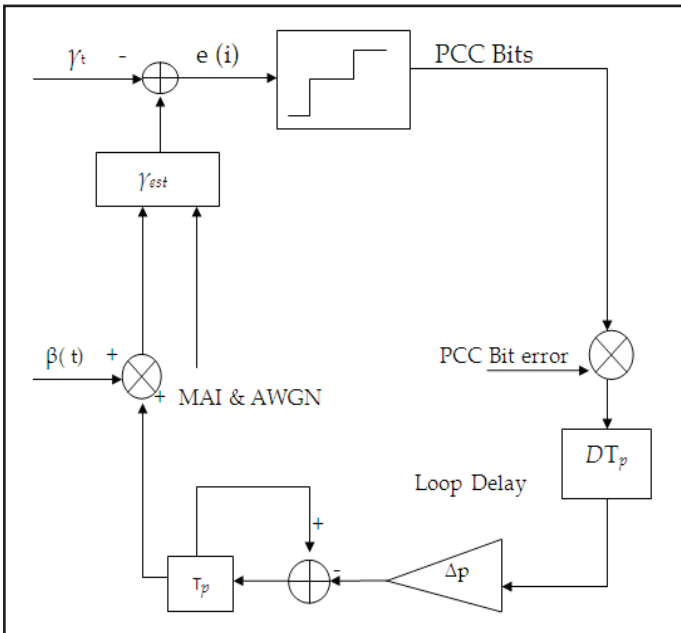


Fig. 2: SIR-based Power Control

The PCC bits are transmitted to a mobile station via the downlink channel. However, the PCC bits are subject to high bit error rates because they are not coded or interleaved in order to minimize signalling bandwidth on the downlink channel and to avoid the corresponding delays due to the interleaving. The feedback loop delay, however, is unavoidable. Therefore, transmission of the PCC bits on the downlink channel suffers from two major impairments: PCC bit errors and feedback delay. The PCC bit error is represented as a multiplicative disturbance on the PCC bits, while feedback delay is represented by a delay operator of DT_p in the loop as shown in fig. 2. After the PCC bits are received by a mobile station, the mobile station computes the required power adjustment, $\Delta p \times PCC$. The step size Δp is preset at 1 or 2 dB, while the PCC is either ± 1 in a fixed-step algorithm or any integer between $-q$ and $+q$ in a variable-step algorithm. The integrator over one power control interval, T_p is used to increment the transmit-power level from the previous level governed by the equation

$$p(i+1) = p(i) - \Delta p e(i-D) q \quad (1)$$

In the simulation, the system is considered as a single cell CDMA with the number of user $K=10$. All users are in motion with different vehicle's speed to implement a practical situation. To model this situation, the user speed is made to vary from 5 to 80 km/hr. at 5 km/hr. interval. The system uses the carrier frequency $f_c = 1.8$ GHz so the users has maximum Doppler spread ranging from 10 to 100 Hz at 10 Hz intervals. The spreading factor $M=64$ is considered in this simulation. The scheme of modulation is QPSK with a bit rate $R_b = 120$ kbps related to the symbol rate $R_s = 60$ kilo symbol/s in QPSK. In accordance with 3G specification, the power update rate $= 1.5$ KHz. Therefore the mobile power is updated in each interval $T_p = 0.667$ ms. SIR Estimation is performed in every time slot that corresponds to one power control interval T_p . The chip rate $R_c = 3.84$ Mcps as given in the 3G standard for uplink data channel. With this chip rate, each time slot contains 2560 chips representing 40 symbols. All symbols in the timeslot are utilized by SIR estimator to estimate the SIR. The AWGN with the noise variance $\sigma_n^2 = 7$ dB below the signal power is added to simulate the receiver thermal noise. Therefore the composite signals at the base station consist of all users' signal and AWGN.

IV. Results and Discussion

Simulation 1. Step size=1 dB

The simulation 1 evaluates the effect of feedback delay on the performance of system applied low step size (1 dB). The system is simulated for low speed and higher speed or users whose have the fading rate $f_d = 50$ Hz, and 100 Hz, respectively. From the simulation 1, we can see that the best performance is achieved for low speed user with the fading rate $= 50$ Hz. This because of the power control is updated more frequently. In fading rate $= 50$ Hz, the frequency update power control $f_d T_p = 30$ times faster than fading rate. It is different for $f_d = 100$ Hz in which $f_d T_p = 15$ times for $f_d = 100$ Hz faster than faster than fading rate.

The graph for performance of system with $f_d = 50$ Hz is shown in Fig. 3. In this figure, the best performance is achieved at feedback delay $= 1T_p$. The better performance is obtained at feedback delay $= 2T_p$. At feedback delay $= 3T_p$, the system almost unable to perform its performance because the system is close to the fading performance without power control.

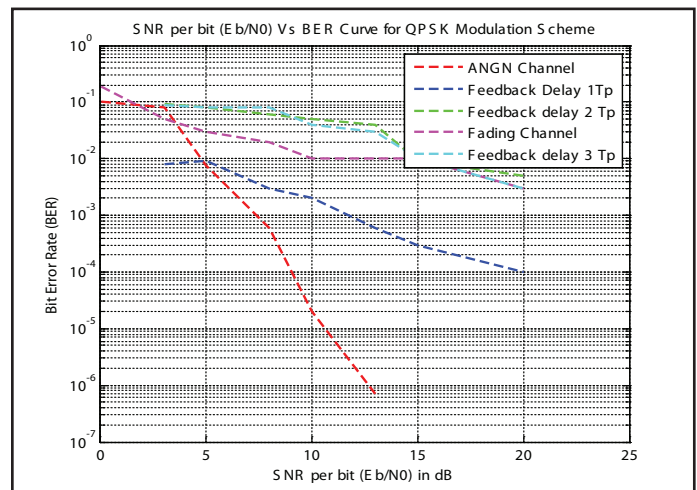


Fig 3 Performance at Step size =1dB, Fading Rate =50Hz

The graphic for the system 1 dB is shown in Fig. 4. This graphic is shown in the performance of the system at fading rate $= 100$ Hz. In this case the mobile transmit is updated 15 times faster than fading rate. If frequency update of power control is lower than the fading rate then the fading fluctuation is less able to be tracked. This situation leads to the degradation of the performance even the performance is close to fading channel.

In Fig 4, the performance at feedback delay $= 1T_p$ is slightly better than the others. The intermediate figure and the top figure are the performance at feedback delay $= 2T_p$ and $3T_p$, respectively. Due to the higher fading rates, system with feedback delay $= 2T_p$ and $3T_p$ at $f_d = 100$ Hz is unable to show its performance since the obtained BER are around the fading.

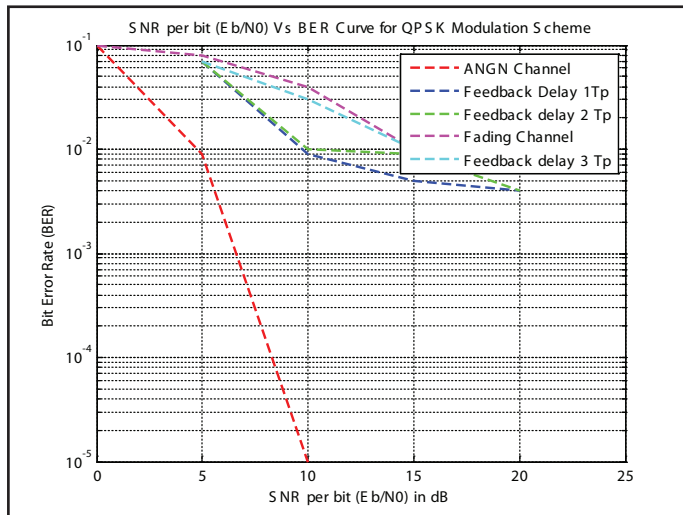


Fig. 4: Performance at Step size = 1dB, Fading Rate = 100Hz

In Fig. 5, the performance of 1dB at fading rate $f_d = 150$ Hz is analysed. It shows that the performance with feedback delay $= 1T_p$ is still at the bottom of figure and slightly better than the others. Due to increased fading rate system performance with feedback delay $= 3T_p$ at $f_d = 150$ Hz fails to show its performance since obtained BER are around fading performance.

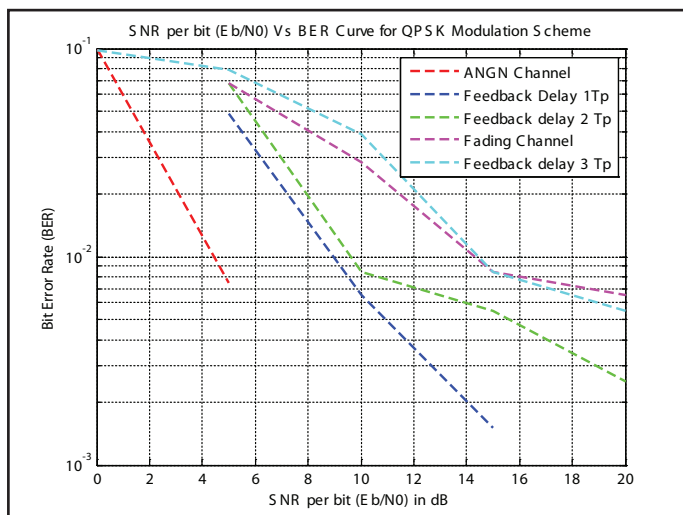


Fig. 5: Performance at Step size = 1dB, Fading Rate = 150Hz

For all fading rates, the higher the feedback delay, the worse the performance of power control. This is because the update power that transmitted by the mobile station is out of date and no longer represents the fading condition particularly in higher feedback delay that resulting in deviation of the SIR from the target level.

Simulation 2. Step size=2 dB

The simulation 2 evaluates the effect of feedback delay on the performance of system used step size = 2 dB. For all feedback delay, the best performance is still achieved for low speed user in Fig. 3 with fading rate = 50 Hz. In low speed, the power control is updated more frequently than the others user with higher speed. For step size = 2 dB, deep fades at fading rate = 50 Hz can be tracked more quickly. This will result the better performance at the same fading rate at the system that use the step size = 1 dB.

From Fig. 6, it is observed that performance with the fading rate = 50 Hz at feedback delay $= 1T_p$ is better than the performance of

system as result 1 that employed the step size = 1 dB. Due to higher step size, it is found that the performance of 2 dB with feedback delay $= 2T_p$ is better than the performance of 1 dB at E_b/I_0 higher than 10 dB. For feedback delay $= 3T_p$, the system with the step size = 2 dB is fail to improve the performance because of higher feedback delay. In case of 2 dB, the higher feedback delay cause the performance degraded above the fading performance.

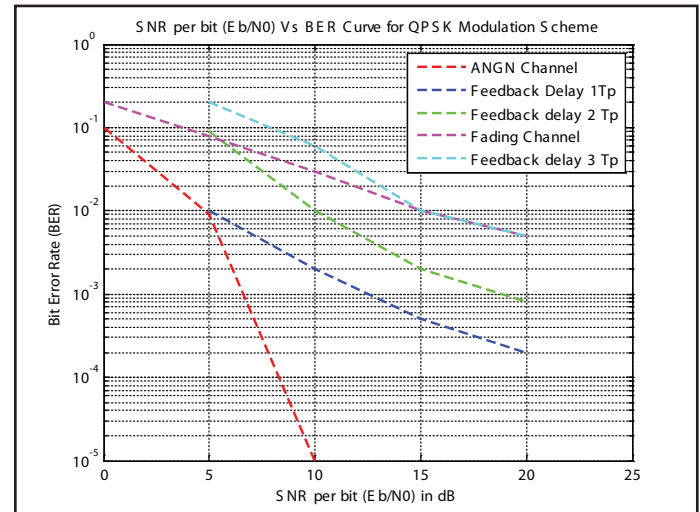


Fig. 6: Performance at Step size = 2dB, Fading Rate = 50Hz

The system performance is analysed at fading rate = 100 Hz that shown in Fig. 7 In fading rate = 100 Hz, the performance 2 dB at feedback delay $= 1T_p$ is still better than system 1 dB. This is due to higher tracking ability of the system 2 dB. The system at feedback delay $= 2T_p$ is similar with the fading performance while at feedback delay $= 3T_p$ the system 2 dB is worse than the BER theoretic for fading performance.

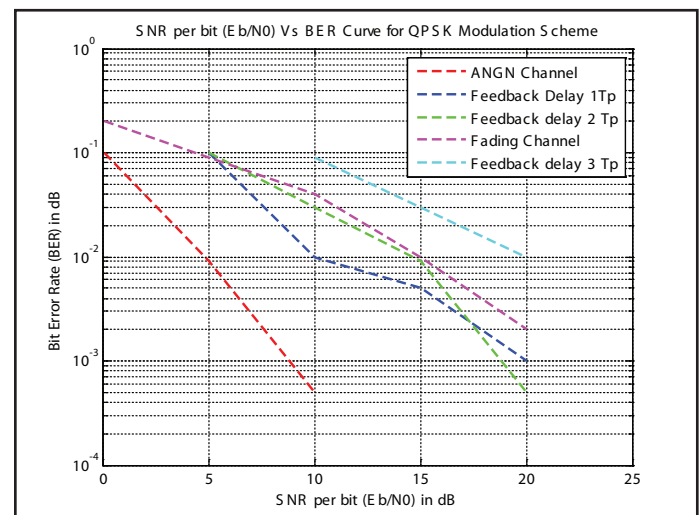


Fig. 7: Performance at Step size = 2dB, Fading Rate = 100Hz

It is observed that for all fading rates, the BER performance at system 2 dB with feedback delay $= 3T_p$ are worse than the system 1dB and almost worse than the BER theoretic for fading performance. In other words the system with step size = 2 dB is less applicative at higher feedback delay.

Finally, the analysis for system performance at fading rate = 150Hz is shown in Fig. 8. In fading rate = 150 Hz, the performance 2 dB at feedback delay $= 1T_p$ is still better than system 1 dB. This is due to higher tracking ability of the system 2 dB. The system at feedback delay $= 2T_p$ is similar with the fading performance while

at feedback delay $=3T_p$ the system 2 dB is worse than the BER theoretic for fading performance.

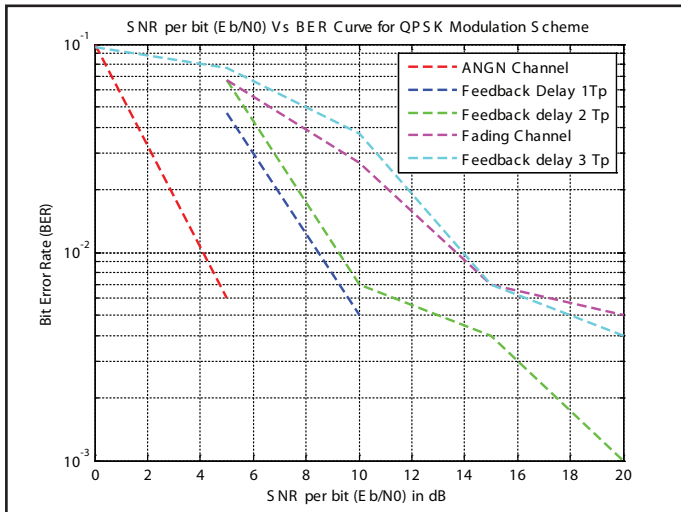


Fig. 8: Performance at Step size = 2dB, Fading Rate = 150Hz

V. Conclusion

Feedback delay affects the performance of closed loop power control in CDMA system. The increasing on fading rate will generate deeper fade that is more difficult to be tracked with small step size. In case of fading rate, we can consider that power control is not properly work in higher fading rate e.g. fading rate = 100 Hz. The performance is also affected with the design of step size at mobile station. In relation to the step size, we have seen that the setting of 1 dB is more appropriate for higher feedback delay e.g. feedback delay $=3T_p$ while system of 2dB is more appropriate for lower feedback delay e.g. feedback delay $=1T_p$. If the total feedback delay can be minimized e.g. until $1T_p$, then the application of 2dB will be better than 1 dB. Conversely, if total feedback delay is difficult to be minimized, then the system of 1 dB is more applicative for higher feedback delay. Therefore, there is a trade off between step size = 1 dB or 2 dB to be created at mobile station. But from the perspective of efficiency in received power (that correspondence with the capacity), we have found that the system of 1dB is better than the system of 2 dB at feedback delay $=2T_p$. In this case, a mobile user can still operate at lower E_b/I_o with implies many users can be served at base station. At the end of section, we conclude that the system of 1 dB generally is still better than 2 dB from aspect of delay and capacity. The effect of feedback delay algorithm was analyzed in Rayleigh fading channels. Results show that feedback delay puts strict limits to the applicability of closed-loop algorithms within high mobile speeds while the effect of feedback bit errors is not crucial if a constant bit error rate is assumed. Closed loop power control can improve the BER performance of slow fading channel. However, power control is not perfect due to feedback delay and finite step size, which produce residual variation of the SIR (power control error). Under ideal conditions, variable step algorithms perform better than fixed step algorithms.

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